

regions.

Many researchers tried to reduce the amount of space required to store the data, for faster communication and better security of secret data. Andrew B. Watson introduced Image Compression Using the Discrete Cosine Transform in 1994[8]. A. Alfalou C. Brosseau et al. [9] performed compression based on the discrete cosine transform (DCT). Two levels of encryption are used. The first one is due to the grouping of the DCTs in the spectral domain and after a second transformation, i.e. to hide the target images; one of the input images is used as encryption key. The compression is better than JPEG in terms of PSNR. Maher Jridi, Ayman Alfalou [10] presented a method that utilizes the DCT properties to achieve the compression and the encryption simultaneously. First for compression, 8-point DCT applied to several images. Second, only some special points of DCT outputs are multiplexed. For the encryption process, a random number is generated and added to some specific DCT coefficients.

3. Proposed Scheme

When network bandwidth and storage space are limited, the image to be transmitted has to be compressed. The input image is compressed by Improved Run Length Encoding (IRLE). IRLE works the best when applied to image data where there are successive runs of the same values. Algorithm for the proposed scheme is given below.

Algorithm for IRLE Compression:

1. Read the input image and convert the image matrix into an array M.
2. Find the difference between adjacent elements of M and store it in P.
3. Convert P to logical format. The elements without repetition are denoted with one and the repeated elements with zero.
4. Find the position of the elements of P that has the value one in the step 3.
5. Find the unique element values using the positions obtained from step 4 and store it in an array.
6. Obtain the occurrence of the first element alone from the matrix in the step 4. For the remaining elements, find the difference of the matrix in the step 4.
7. Obtain the elements without repetition and their occurrences in step 6.
8. Concatenate Run value with Run count and store the result in an array C.
9. Find the remainder using, $R = C \text{ mod } 256$.

The R is the sent to the destination. It may be noted here that by reversing the above steps, we get back the original image. The IRLE compression and decompression can be understood easily as shown below in Figure 1.

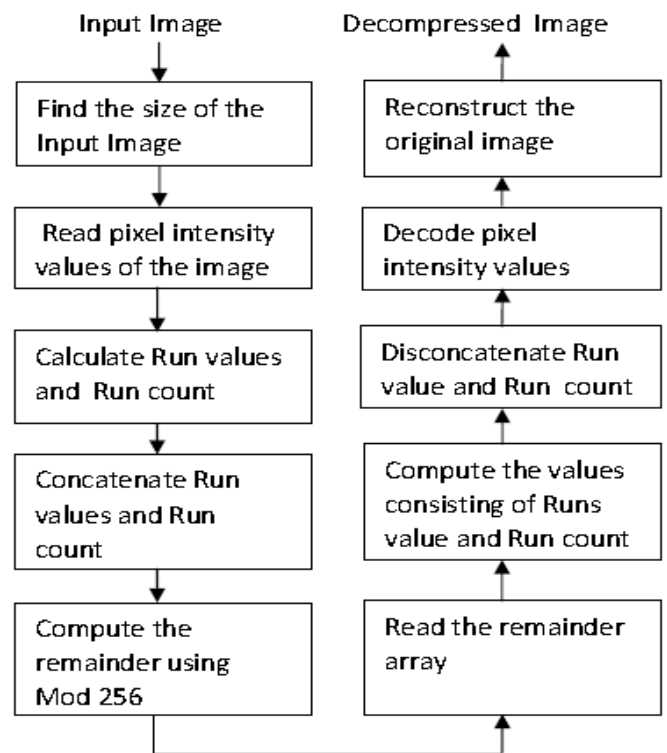


Figure 1. Schematic diagram of IRLE Compression and decompression

4. Experimental Results

Let us take an example of portion of an image, consisting of 15 picture elements (pixels) with intensity values are given by an array A,

$$A = [5 \ 2 \ 2 \ 2 \ 3 \ 3 \ 3 \ 3 \ 4 \ 4 \ 1 \ 1 \ 1 \\ 1 \ 1 \ 1 \ 1 \ 6 \ 6 \ 4 \ 4].$$

In the given example, 5 has occurred 1 time, 2 has occurred 3 times, 3 has occurred 4 times, 4 has occurred 2 times, 1 has occurred 7 times, 6 has occurred 2 times, and 4 has occurred 2 times.

Let us see how to code this reduction method. Consider the above matrix A,

1. The difference between adjacent elements is calculated and it is given below.

$$\begin{bmatrix} -3 & 0 & 0 & 1 & 0 & 0 & 0 & 1 & 0 & -3 & 0 & 0 & 0 \\ 0 & 0 & 0 & 5 & 0 & -2 & 0 & 0 & 0 & 0 & 0 & 0 & 0 \end{bmatrix}.$$

2. Convert it to logical format. The elements without repetition are denoted with one and the repeated elements with zero.

$$\begin{bmatrix} 1 & 0 & 0 & 1 & 0 & 0 & 0 & 1 & 0 & 1 & 0 & 0 & 0 \\ 0 & 0 & 0 & 1 & 0 & 1 & 0 & 1 & 0 & 0 & 0 & 0 & 0 \end{bmatrix}$$

3. Find the position of the elements that has the value one in the above step.

[1 4 8 10 17 19 21].

4. Find the unique element values using the positions obtained from the above step. In the matrix A, the element at the position 1 is 5, the element at the position 4 is 2, the element at the position 8 is 3, similarly, the element at the position 21 is 4.

5. The first element in the matrix is 5, it has occurred 1 time and the second element occurred 3 times and so on. We obtained the occurrence of the first element alone from the matrix in the step 3. For the remaining elements, find the difference of the matrix in the step 3.

i.e. diff([1 4 8 10 17 19 21]);

The result after concatenating the first element of the matrix obtained in step 3 with difference for the matrix in the step 3 is [1 3 4 2 7 2 2].

6. Thus in the step 4 we obtain the elements without repetition, [5 2 3 4 1 6 4] and the occurrences in step 5, [1 3 4 2 7 2 2].

Therefore after Improved Run length encoding, we obtain the array without any repetition in the adjacent elements called Run values, [5 2 3 4 1 6 4],

and the occurrences of each element is called Run count given by

[1 3 4 2 7 2 2].

The vectors of Run values(RV) and their corresponding Run counts(RC) are shown below.

RV	RC
5	1
2	3
3	4
4	2
1	7
6	2
4	2

By concatenating Run values with Run count, we get

15
32
43
24
71
26
24

To limit the above values to lie within the range [0,255], Modulo division by 256 (Mod 256) is performed to get

15
32
43
24
71
26
24

This remainder array is sent to the destination.

Thus the matrix is reduced to 14 elements from 21 elements. It is observed that 7 Bytes are sufficient to represent 21 picture elements which require 21 Bytes actually. Compression ratio (CR) is defined as the ratio of No. of bytes of uncompressed data to No. of bytes of compressed data.

Compression Ratio = Size of Uncompressed data / Size of Compressed data.

Compression percentage = [1- (Size of compressed data / Size of uncompressed data)]*100.

Here compression ratio given by IRLE is $21/7 = 3$ and compression percentage is 33.33 compression percentage.

By reversing the above steps, we get

5 1
2 3
3 4
4 2
1 7
6 2
4 2

It may be noted here that 5 has occurred 1 times, 2 has occurred 3 times, 3 has occurred 4 times, 4 has occurred 2 times, 1 has occurred 7 times, 6 has occurred 2 times and 4 has occurred 2 times. The original input can be reconstructed with help of the above result.

Now consider a full image of a cute baby of size 256 rows and 256 columns as shown in Figure 2.



Figure 2. Cute baby

On applying the IRLE Compression algorithm, the compression ratio obtained is 5.12 which is 80.47% as shown in Table 1. Some of other input images and their compression ratio and compression percentages are shown in the table.



Figure 3. Gandhiji



Figure 4. Laden

Name of the image	Size of the image	Compression Ratio	Compression Percentage(%)
Cutebaby.jpg	256x256	5.12	80.47
Gandhiji.jpg	256x256	2.23	55.08
Laden.jpg	256x256	3.16	68.36
Texture	256x256	2.0	50
Clock.tiff	256x256	2.15	53.52

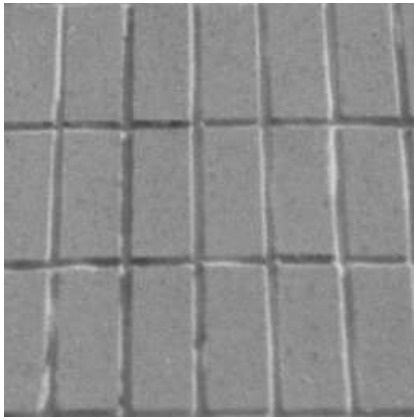


Figure 5. Texture



Figure 6. Clock

Table 1. Compression ratio and compression % of images

From the above Table, it is observed that the highest compression ratio (5.12) and highest compression percentage (80.47) is obtained for Cute baby image which are better when compared to many existing methods. This The compression ratio may depend on the size and type of the input message. Security can be added to the compressed either by using secret sharing technique. In this analysis, all computations are carried out by using MATLAB [18].

5. Conclusion and Scope for Enhancement

In this investigation, we have developed an improved approach to image compression. This approach is very simple and efficient as it increases compression ratio. The IRLE reduces the bandwidth required to transmit image on the network and also the space required to store it. The compression ratio depends on the size and type of the input message. The proposed approach can be extended to any type of image. Security aspect can be incorporated to the compressed image so that the input image is sent to the destination in a secured manner. It is concluded that the proposed scheme is an efficient compression method for images and it provides high compression ratio and better compression percentage when compared to many existing methods.

References

- [1] C. E. Rafael C. Gonzalez & Richard E. Woods, — Digital Image processing, 2nd Edition Pearson Education 2004.
- [2] D. Huffman, "A Method for the Construction of Minimum-Redundancy Codes," Proceedings of the IRE, vol. 40, (1952), pp. 1098 - 1101.
- [3] S. Golomb, "Run-length encodings," IEEE Transactions on Information Theory, vol. 12, (1966), pp. 399-401.
- [4] D. M. Mark and D. J. Abel, "Linear quadrees from vector representations of polygons," IEEE Transaction on Pattern Analysis and Machine Intelligence, vol. 7, (1985), pp. 344-9.

- [5] J. P. Lauzon, D. M. Mark, L. Kikuchi and J. A. Guevara, "Two-dimensional run-encoding for quadtree representation," *Computer Vision, Graphics, and Image Processing*, vol. 30, (1985), pp. 56-69..
- [6] D. M. Mark, "The Use of Quadtrees in Geographic Information systems and spatial data handling," *Proc. AutoCarto*, London, vol. 1, (1986), pp. 517-526.
- [7] H. Samet, "Hierarchical Spatial Data Structures," in *Proceedings of the first symposium on Design and implementation of large spatial databases (SSD '90)*, New York, NY, USA, (1990), pp. 193-212.
- [8] Z. Qian and R. Chen, "Adaptive 2d run-length coding and its applications," *Journal of PLA institute of surveying and mapping*, vol. 2, (1993), pp. 18-23.
- [9] H. Samet, "Spatial Data Structure," *IEEE Transaction on Pattern Analysis and Machine Intelligence*, vol. 8, (1995), pp. 532-538.
- [10] G. K. Wallace, "The JPEG still picture compression standard", *Commun. ACM*, vol. 34, no. 4, (1991), pp. 30-44.
- [11] X. Shen and M. Spann, "3D Region representation based on run-lengths: operations and efficiency," *Pattern Recognition*, vol. 31, (1998), pp. 575-585.
- [12] Y. Yang, K. Chung and Y. Tsai, "A compact improved quadtree representation with image manipulations," *Image and Vision Computing*, vol. 18, (2000), pp. 223 - 231.
- [13] F. K. H. Quek, "An algorithm for the rapid computation of boundaries of run-length encoded regions," *Pattern Recognition*, vol. 33, (2000), pp. 1637-1649.
- [14] J. Shin, H. Hwang and S. Chien, "Detecting fingerprint minutiae by run length encoding scheme," *Pattern Recognition*, vol. 39, (2006), pp. 1140-1154.
- [15] C. M. Agulhari, I. S. Bonatti and P. L. D. Peres, "An Adaptive Run Length Encoding method for the compression of electrocardiograms," *Medical Engineering & Physics*, vol. 35, (2013), pp. 145-153.
- [16] B. Žalik and N. Lukač, "Chain code lossless compression using move-to-front transform and adaptive run-length encoding," *Signal Processing: Image Communication*, vol. 29, (2014), pp. 96-106.
- [17] A. Alfalou C. Brosseau, N. Abdallah, and M. Jridi, "Simultaneous fusion, compression, and encryption of multiple images", *OPTICS EXPRESS* 24024 Vol. 19, No. 24 OSA, 2011
- [18] Alasdair McAndrew, —*Digital Image processing with MatLab*, Cengage learning 2004..



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